

Quiz 5
Econ 526 - Introduction to Econometrics

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Name:

SECTION A - MULTIPLE CHOICE

[Same dataset from Quiz 4] Consider a random sample with the Grade Point Average (GPA) and standardized test scores (ACT), along with the performance in an introductory economics course, for students at a large public university. The variable to be explained is *score*, which is the final score in the course measured as a percentage. The variable *hsgpa* is the high school GPA, *actmth* is the ACT in math and *colgpa* is the college GPA of the student prior to take the economics course.

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                        Dependent variable:
                        -----
                                log(score)
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hsgpa                        0.0274
                               (0.0204)

log(actmth)                   0.3082***
                               (0.0388)

colgpa                         0.1784***
                               (0.0125)

Constant                       2.7073***
                               (0.1119)

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Observations                    814
R2                              0.3704
Adjusted R2                     0.3681
Residual Std. Error             0.1662 (df = 810)
F Statistic                     158.8443*** (df = 3; 810)
=====
Note:                            *p<0.1; **p<0.05; ***p<0.01

```

12.5%

- Based on the above, what is the effect on the dependent variable if *colgpa* increases one unit?
 - $\widehat{\log(score)}$ will increase 17.8%
 - $\widehat{\log(score)}$ will increase 1.78%
 - \widehat{score} will increase by 0.178 units
 - \widehat{score} will increase 17.8%

- 12.5% 2. Based on the above, what is the effect on the dependent variable if *actmth* increases 10%?
- $\log(\widehat{score})$ will increase 3.08%
 - $\log(\widehat{score})$ will increase 30.8%
 - \widehat{score} will increase by 0.308 units
 - \widehat{score} will increase 3.08%
- 12.5% 3. In order to find the OLS estimators for the true parameters β_0 , β_1 , β_2 and β_3 for the regression above, how many First Order Conditions do we have?
- 2
 - 3
 - 4
 - 5
- 12.5% 4. Assume that *hsgpa* and $\log(\textit{actmth})$ are uncorrelated with u , but *colgpa* is correlated with u . Then:
- We say that *colgpa* is an endogenous explanatory variable, therefore $E(u|x_1, x_2, x_3, x_4) = 0$.
 - We say that *colgpa* is an endogenous explanatory variable, therefore $E(u|x_1, x_2, x_3, x_4) \neq 0$.
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SECTION B - TRUE OR FALSE

Consider a random sample with 1005 observations of house purchases in Kansas. Your dataset consists of the following variables (variable's name and variable description):

<code>house_price</code>	price paid in thousands of dollars
<code>number_bedrs</code>	number of bedrooms
<code>number_fullbaths</code>	number of full bathrooms
<code>number_halfbaths</code>	number of half bathrooms
<code>number_baths</code>	= <code>number_fullbaths</code> + <code>number_halfbaths</code>
<code>crime_rate</code>	crime rate in the neighborhood
<code>lot_size</code>	lot size in square feet

- 12.5% 1. Consider the following regression model:

$$\log(\textit{house_price}) = \beta_0 + \beta_1 \log(\textit{lot_size}) + \log(\beta_2) \textit{crime_rate} + u$$

where $\log()$ represents the natural logarithm. Then this model is linear in parameters.

True False

- 12.5% 2. Consider the following regression model:

$$\textit{house_price} = \beta_0 + \beta_1 \textit{number_bedrs} + \beta_2 \textit{number_baths} + \beta_3 \textit{number_fullbaths} + \beta_4 \textit{number_halfbaths} + u$$

Then this model suffers from perfect collinearity.

True False

- 12.5% 3. Consider the following models:

$$\text{Model 1: } \textit{house_price} = \beta_0 + \beta_1 \textit{number_bedrs} + \beta_2 \textit{number_baths} + u$$

$$\text{Model 2: } \textit{house_price} = \beta_0 + \beta_1 \textit{number_bedrs} + \beta_2 \textit{number_baths} + \beta_3 \textit{crime_rate} + u$$

Then, $R^2_{\text{model1}} > R^2_{\text{model2}}$.

- True False

- 12.5% 4. Consider the following regression model:

$$\textit{house_price} = \beta_0 + \beta_1 \textit{number_bedrs} + \beta_2 \textit{number_baths} + u$$

Knowing that $\text{Corr}(\textit{number_bedrs}, \textit{number_baths}) = 0.98$, then the OLS estimator is a biased estimator for the true parameters.

- True False