

Quiz 4
Econ 526 - Introduction to Econometrics

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Name:

Consider a random sample with the Grade Point Average (GPA) and standardized test scores (ACT), along with the performance in an introductory economics course, for students at a large public university. The variable to be explained is *score*, which is the final score in the course measured as a percentage. The econometric model is:

$$\log(\text{score}) = \beta_0 + \beta_1 \text{hsgpa} + \beta_2 \log(\text{actmth}) + \beta_3 \text{colgpa} + u$$

where *hsgpa* is the high school GPA, $\log(\text{actmth})$ is the natural logarithm of the ACT in math and *colgpa* is the college GPA of the student prior to take the economics course.

The *R* output is:

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                        Dependent variable:
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                        log(score)
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hsgpa                    0.0274
                        (0.0204)

log(actmth)              0.3082***
                        (0.0388)

colgpa                   0.1784***
                        (0.0125)

Constant                 2.7073***
                        (0.1119)

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Observations              814
R2                       0.3704
Adjusted R2              0.3681
Residual Std. Error      0.1662 (df = 810)
F Statistic              158.8443*** (df = 3; 810)
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Note:                    *p<0.1; **p<0.05; ***p<0.01

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SECTION A - MULTIPLE CHOICE

- Based on the regression above, what is the effect on the dependent variable if *colgpa* increases one unit?
 - $\widehat{\log(\text{score})}$ will increase 17.8%
 - $\widehat{\log(\text{score})}$ will increase by 0.178
 - $\widehat{\text{score}}$ will increase by 0.178 units
 - $\widehat{\text{score}}$ will increase 17.8%

2. Based on the regression above, what is the effect on the dependent variable if *actmth* increases 10%?
- $\widehat{\log(score)}$ will increase 3.08%
 - $\widehat{\log(score)}$ will increase 30.8%
 - \widehat{score} will increase by 0.308 units
 - \widehat{score} will increase 3.08%
3. The variable *colgpa* is a number from 0 to 4. Consider the case that you would like to transform the college GPA to a scale from 0 to 100. Thus, you create a new variable: *colgpa_scaled*, such that $colgpa_scaled = 25 \cdot colgpa$. Then you run the same regression again, only replacing *colgpa* by *colgpa_scaled*. What is the new $\hat{\beta}_3$?
- $25 \cdot 0.1784$
 - $\frac{1}{25} \cdot 0.1784$
 - $\frac{100}{25} \cdot 0.1784$
 - $0.25 \cdot 0.1784$
4. In order to find the estimators for $\hat{\beta}_0$, $\hat{\beta}_1$, $\hat{\beta}_2$ and $\hat{\beta}_3$ for the regression above, how many First Order Conditions do we have?
- 2
 - 3
 - 4
 - 5

SECTION B - TRUE OR FALSE

- Consider the following regression model: $\log(score) = \beta_0 + \beta_1 hsgpa^2 + u$. Then this model is linear in parameters.
 True False
- The following regression model: $\log(score) = \beta_0 + \beta_1 \log(hsgpa) + u$ is also known as constant percentage model.
 True False
- The following regression model: $\log(score) = \beta_0 + \beta_1 hsgpa + u$ is also known as constant elasticity model.
 True False
- In the following regression model: $\log(score) = \beta_0 + \beta_1 hsgpa + u$, $(100 \cdot \beta_1)$ is the semi-elasticity of *score* with respect to *hsgpa*.
 True False
- In the following regression model: $\log(score) = \beta_0 + \beta_1 \log(hsgpa) + u$, β_1 is the elasticity of *score* with respect to *hsgpa*.
 True False